




Opportunities for science teaching in Climate and Earth Observation

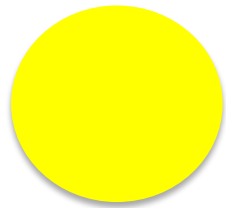
Michel Verstraete, Chief Scientist, SANSa/EO Directorate

Unesco-EGU-ESA GIFT workshop, Port Elizabeth, 2014-02-26

Outline

1. 0-D Climate models and climate principles
 2. How do we know climate is changing?
 3. Earth Observation from space
 4. How does EO work and what is it used for?
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0-D Climate model (1): Solar power



Sun



Earth

- Solar power at the mean Sun-Earth distance: $S_0 = 1370 \text{ W m}^{-2}$
 - Earth disk intercepting radiation: $A_I = \pi (6.371 \cdot 10^6)^2 = 1.28 \cdot 10^{14} \text{ m}^2$
 - Earth surface: $A_T = 4 \pi (6.371 \cdot 10^6)^2 = 5.10 \cdot 10^{14} \text{ m}^2$
- Globally average power intercepted: $S_T = S_0 / 4 = 342.5 \text{ W m}^{-2}$
 - Ignoring latitude and seasons!

0-D Climate model (2): Heating


- Absorption depth: $d = 10^{-3}$ m (soil); 10,000 m (air); 20 m (water)
- Densities: $\rho = 2,000$ kg m⁻³ (soil); 1.2 kg m⁻³ (air); 1,000 kg m⁻³ (water)
- Mass heat capacity: $C_p = 800$ J kg⁻¹ K⁻¹ (soil); 1,000 J kg⁻¹ K⁻¹ (air); 4,200 J kg⁻¹ K⁻¹ (water)
- Heating rates, assuming all power is absorbed in only 1 medium:
$$H = (S_T / d) / (\rho C_p) \text{ [(J s}^{-1} \text{ m}^{-3}) / (\text{kg m}^{-3} \text{ J kg}^{-1} \text{ K}^{-1})]$$

$$H = 0.21 \text{ K s}^{-1} \text{ (soil); } 2.8 \cdot 10^{-5} \text{ K s}^{-1} \text{ (air); } 4 \cdot 10^{-6} \text{ K s}^{-1} \text{ (water) or}$$
$$H = 4,466 \text{ K day}^{-1} \text{ (soil); } 0.595 \text{ K day}^{-1} \text{ (air); } 0.085 \text{ K day}^{-1} \text{ (water)}$$

0-D Climate model (3): Cooling

- Earth albedo: $\alpha = 0.3 \rightarrow$ power absorbed $(1-\alpha) S_T = 239.75 \text{ W m}^{-2}$
- Emissivity $\varepsilon = 0.6$ (soil), 0.9 (air), 0.95 (water)
- Thermal emission loss at 15 C : $I = \varepsilon \sigma T^4$ [$\text{W m}^{-2} \text{ K}^{-4} \text{ K}^4$]
 $I = \varepsilon \times 5.67 \times 10^{-8} \times (273 + 15)^4 = 234 \text{ W m}^{-2}$ (soil), 351 W m^{-2} (air), 370 W m^{-2} (water)
- Steady state system: $C_p (dT/dt) = (1-\alpha) S_T - \varepsilon \sigma T^4 = 0$
- Steady state T for $\varepsilon = 0.9$: $T_s = [(1-\alpha) S_T / \varepsilon \sigma]^{1/4} = 258 \text{ K} = -15 \text{ C}$

0-D Climate model: Teaching opportunities

- Learn about the role of clouds, snow and ice in the climate system
 - Find a place on Earth where the annual average temperature is -15 C
 - Discuss the causes of the discrepancy between the steady state and the observed surface temperatures
 - Study the sensitivity of these results to the values of the parameters, in particular albedo, and the various assumptions made
 - Explore the roles of the atmosphere and 'greenhouse' gases in controlling climate
 - Compare the power of the Sun to that of an electric stove, or to the electric power generation of the students' country
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Climate principles

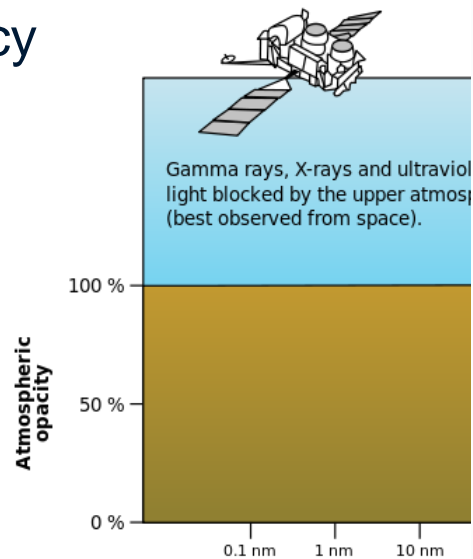
- The Earth is a thermal engine, heated by the Sun and cooled by thermal emission
- The bulk of the heating is occurring at the surface and in tropical areas but the cooling takes place at high altitude and everywhere
- Heat is transported vertically (convection) and from low to high latitudes (weather systems and ocean currents)
- Opportunities for teaching:
 - Describe how the solar irradiance varies with latitude and season
 - Describe how thermal cooling varies with latitude and season
 - Discuss the general circulation of the atmosphere (or of the oceans) in relation to these heating and cooling processes

Radiation transfer in the atmosphere (1)

- Atmospheric composition by volume:

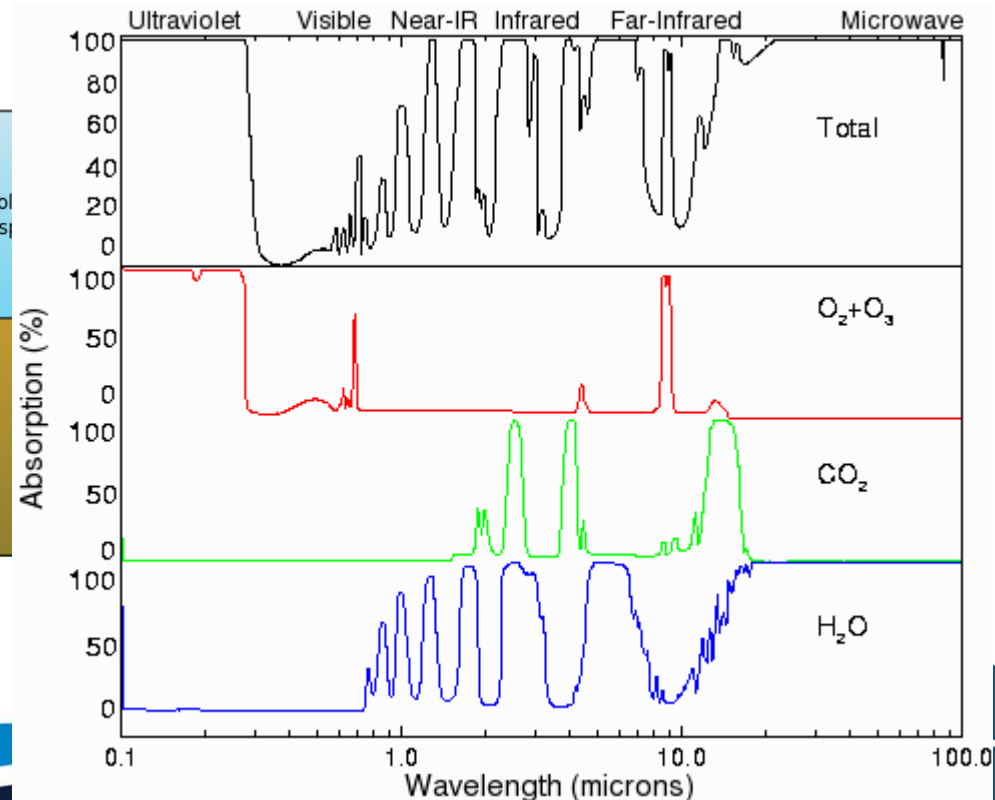
- Gases: N_2 (78%), O_2 (21%), H_2O (0.25%), CO_2 (400 ppmv), O_3 (0.05 ppmv)
- Particulates (aerosols): sea salt, dust, soot and ash, pollen and spores
- Clouds and smoke plumes

- Transparency



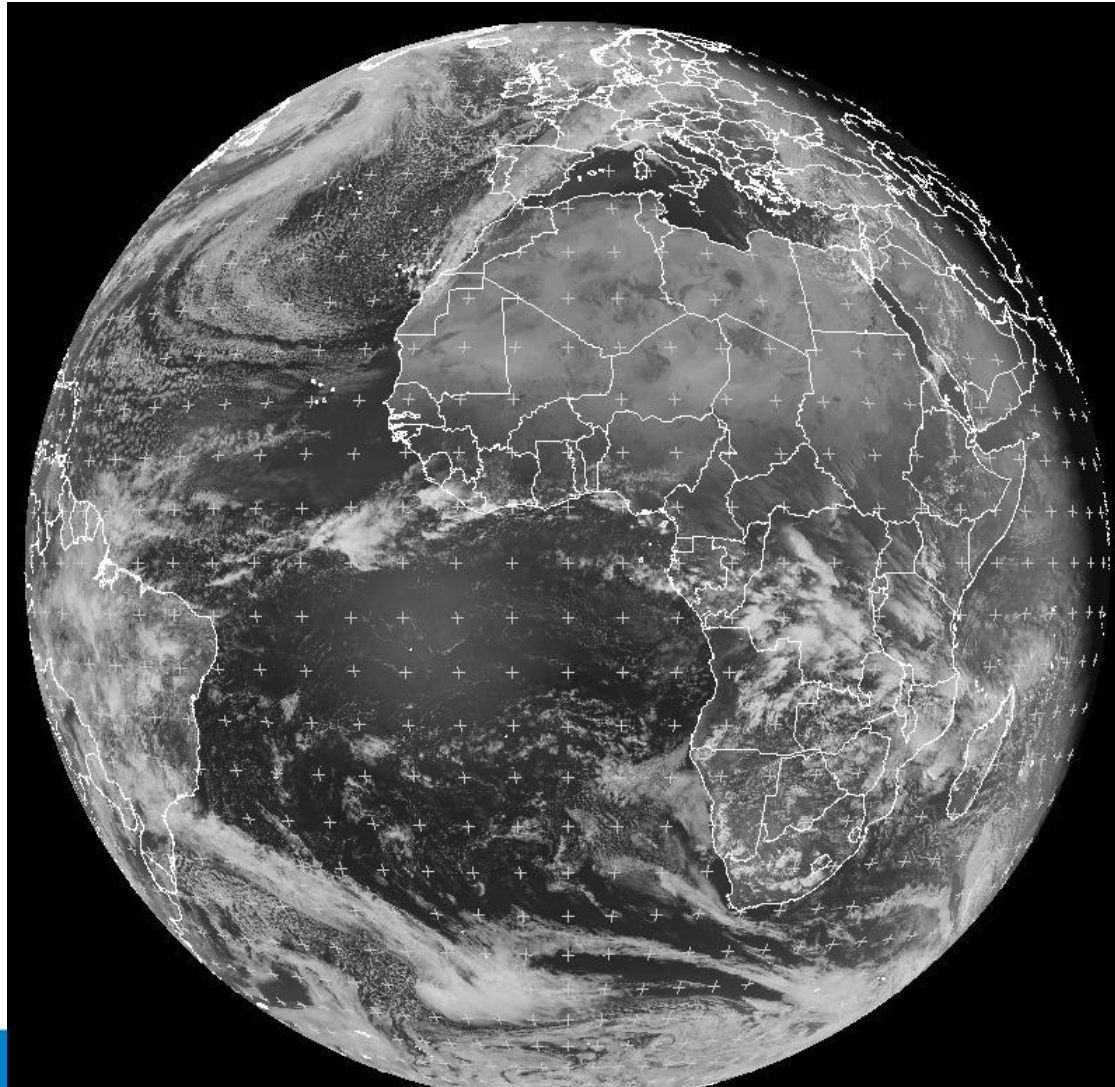
Source: Wikipedia, NASA

Source: <http://randombio.com/co2.html>



Radiation transfer in the atmosphere (2)

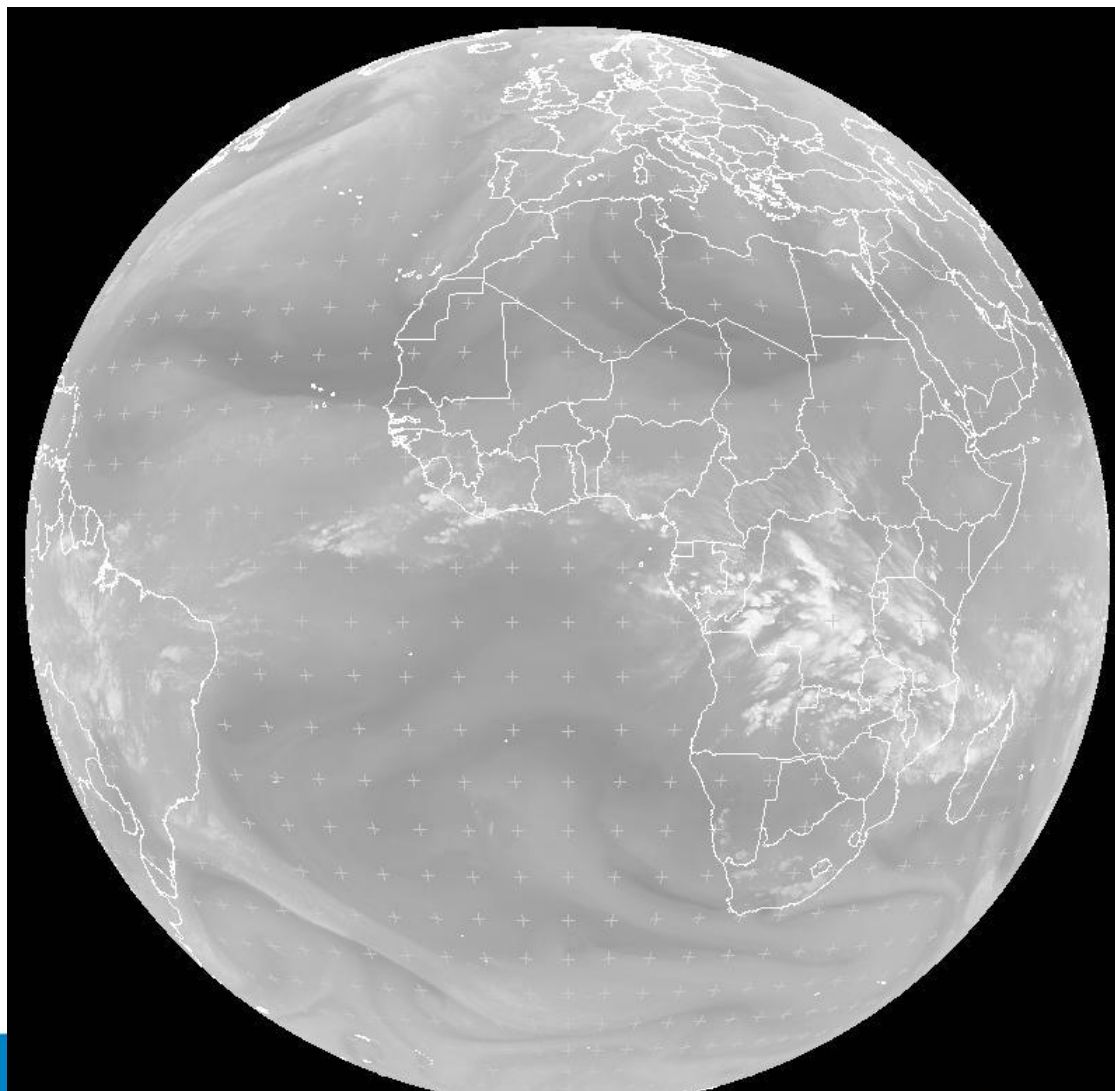
- The Earth observed from space at $0.6 \mu\text{m}$:



MET10 VIS006 2014-02-15 14:00 UTC

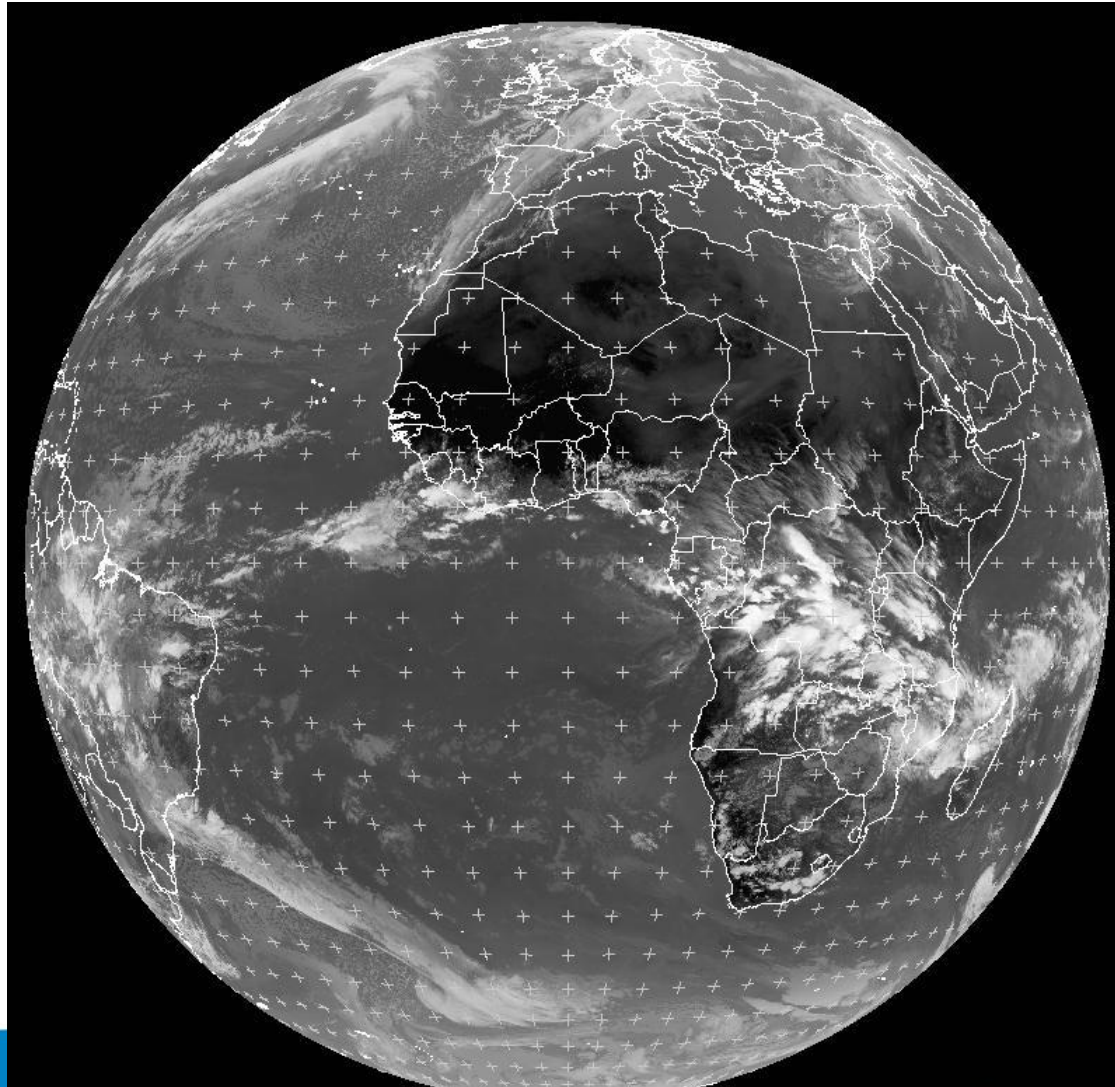
Radiation transfer in the atmosphere (3)

- The Earth observed from space at $6.2\ \mu\text{m}$:



Radiation transfer in the atmosphere (4)

- The Earth observed from space at $10.8 \mu\text{m}$:



Radiation transfer: Teaching opportunities

- Why is clear sky blue at mid-day and orange to red at sunrise or sunset? Why is an overcast sky grey or whitish when cloudy?
- Investigate atmospheric optics phenomena like rainbow, glory, etc.
- What factors affect the transparency of the atmosphere?
- What would happen in the absence of atmospheric CO₂, or with twice as much of it?
- On a hazy day, how does the luminosity of the atmosphere change with azimuth?
- An absorbing layer is characterized by an optical depth (density) and optical properties (such as the single scattering albedo): discuss the feasibility of and constraints on retrieving these properties

How do we know climate is changing? (1)

- Pre-instrumental period (up to 19th century)
 - Artwork and historical accounts of earlier conditions
 - Paleoclimate methods (tree rings, varves, ¹⁴C dating, etc.)

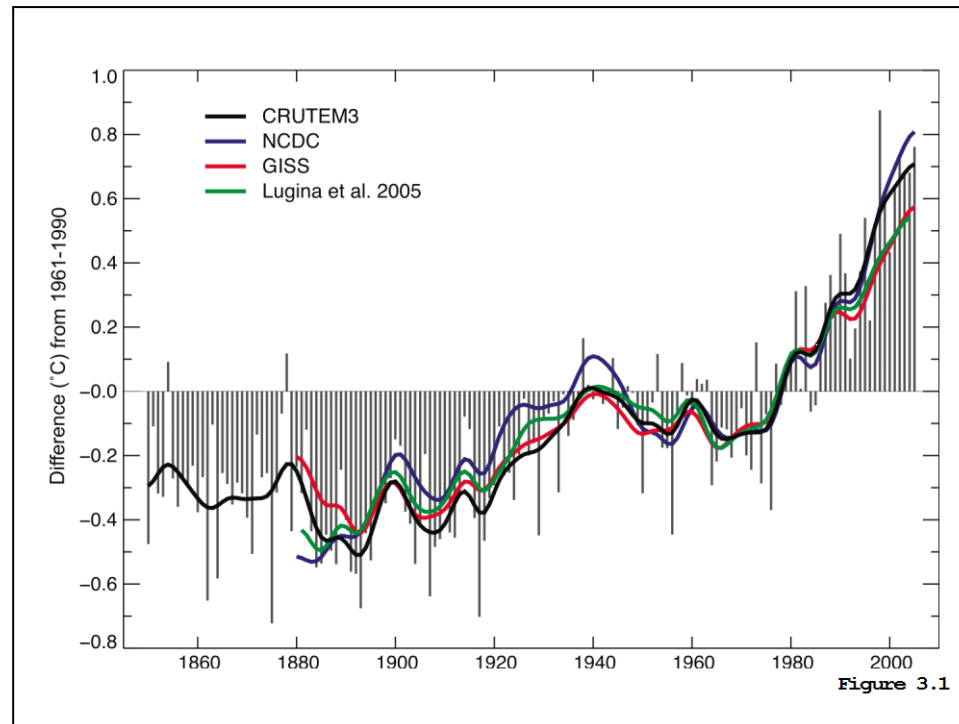


Source: <http://www.philipcoppens.com/tassili.html>

Source: <http://www.edunetconnect.com/cat/timemachine/10000wa.html>

How do we know climate is changing? (2)

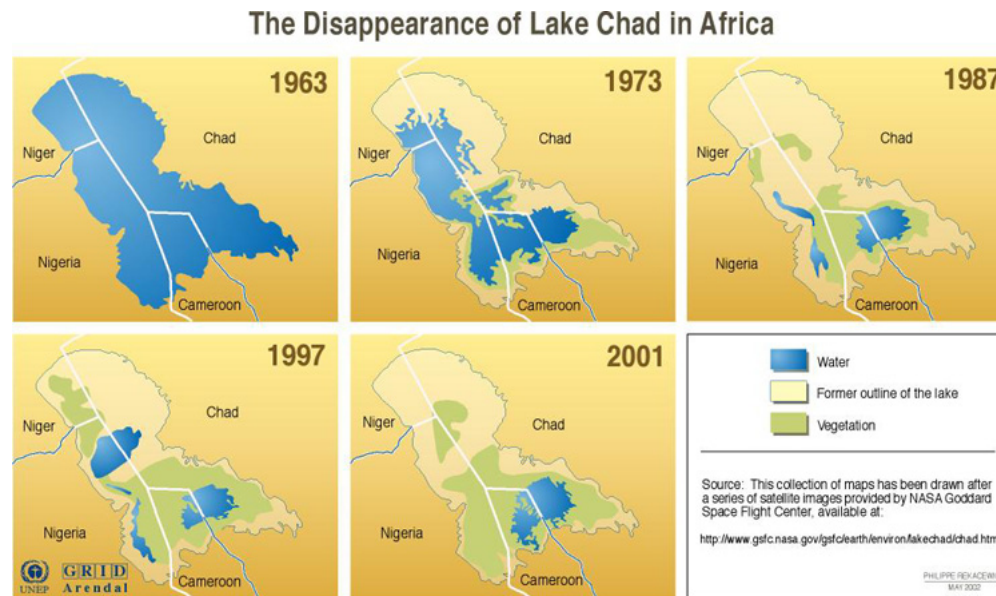
- Instrumental period (from 19th century onwards)
 - Changes in temperature, precipitation, pressure, storm occurrences, etc.
 - Changes in blooming dates, bird migrations, insect proliferation, etc.



Source: IPCC AR-4, Figure 3.1


How do we know climate is changing? (3)

- Satellite remote sensing period (from 1960 onwards)
 - TIROS (1960), NIMBUS (1964), ERTS/Landsat (1972), AVHRR (1978), and many others, especially during the last 20 years



Source: <http://www.grida.no/climate/vitalafrica/english/14.htm> (UNEP)

Climate change: Teaching opportunities

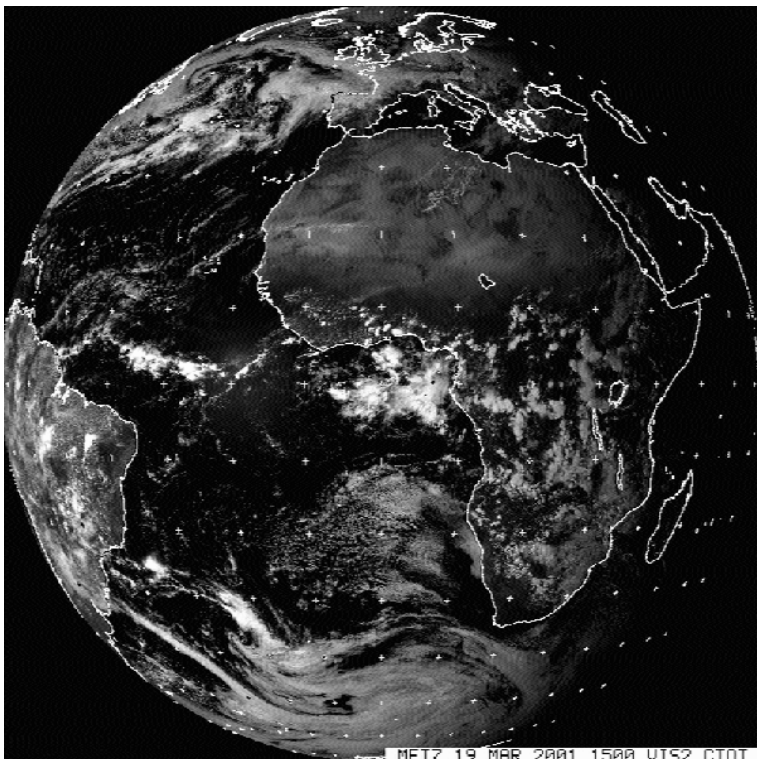
- Get, plot and analyse climatological data for your area
 - Identify extreme events and find out whether their frequency is changing
 - Talk with elderly people and ask about their perceptions of changes
 - Compare how your own climate and its changes differ from those of other regions
 - Learn about climate predictions for your area, for instance from the IPCC assessment reports
 - Research the current and probable future impacts of climate changes in your area
 - Discuss mitigation and adaptation strategies
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What is remote sensing?

- Principles:
 - A signal is emitted or reflected by the target of interest
 - The signal must be influenced by the target in understandable ways, and preferably by properties of interest
 - The signal is transmitted but not modified by other processes
 - The signal is received (absorbed) by an instrument
 - A model of signal generation and transport must be available
 - A mathematical procedure must be available to invert this model against observations
- For satellite remote sensing
 - Signals are electromagnetic waves
 - Information is retrieved from spatial, temporal, spectral, directional or polarimetric variations

Spatial variability

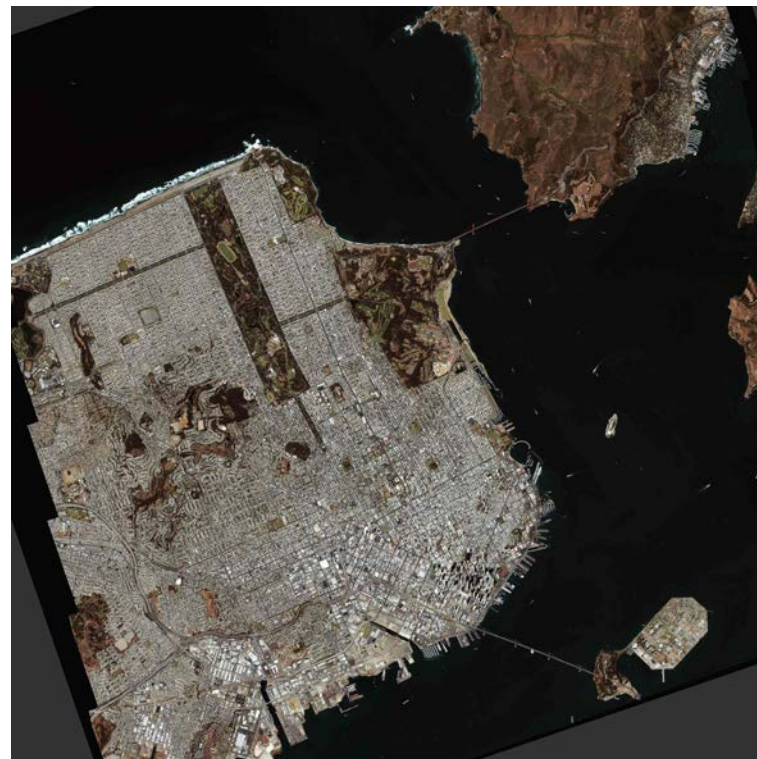
12,600 km



Meteosat 7
19 April 2001
 λ : 0.4–1.0 μm
Resolution: 5 km



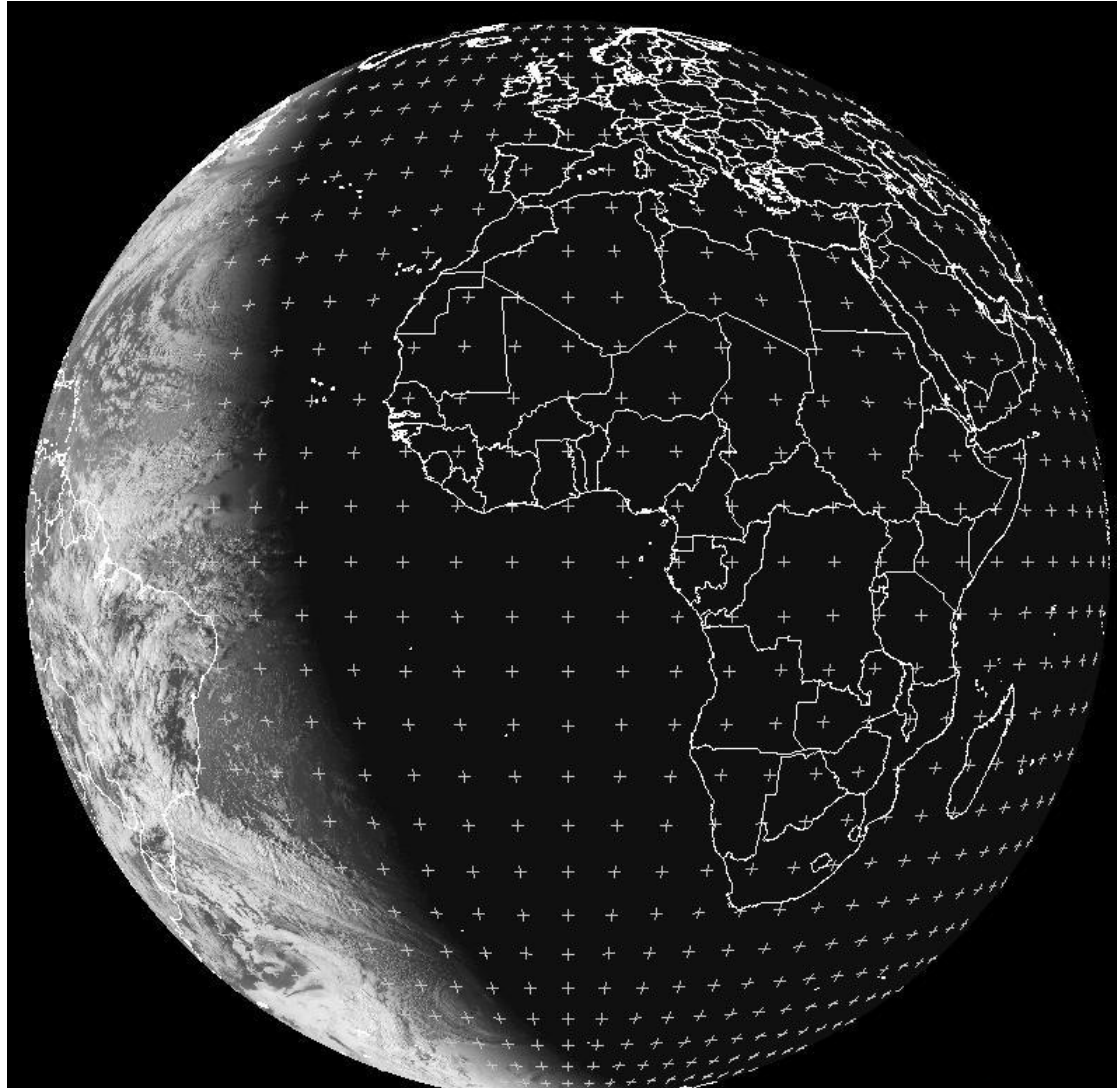
15 km



Ikonos
28 August 2004
 λ : RGB composite
Resolution: 4 m



Temporal variability



MET10 VIS006 2014-02-15 20:00 UTC

Spectral variability



MERIS

14 July 2003

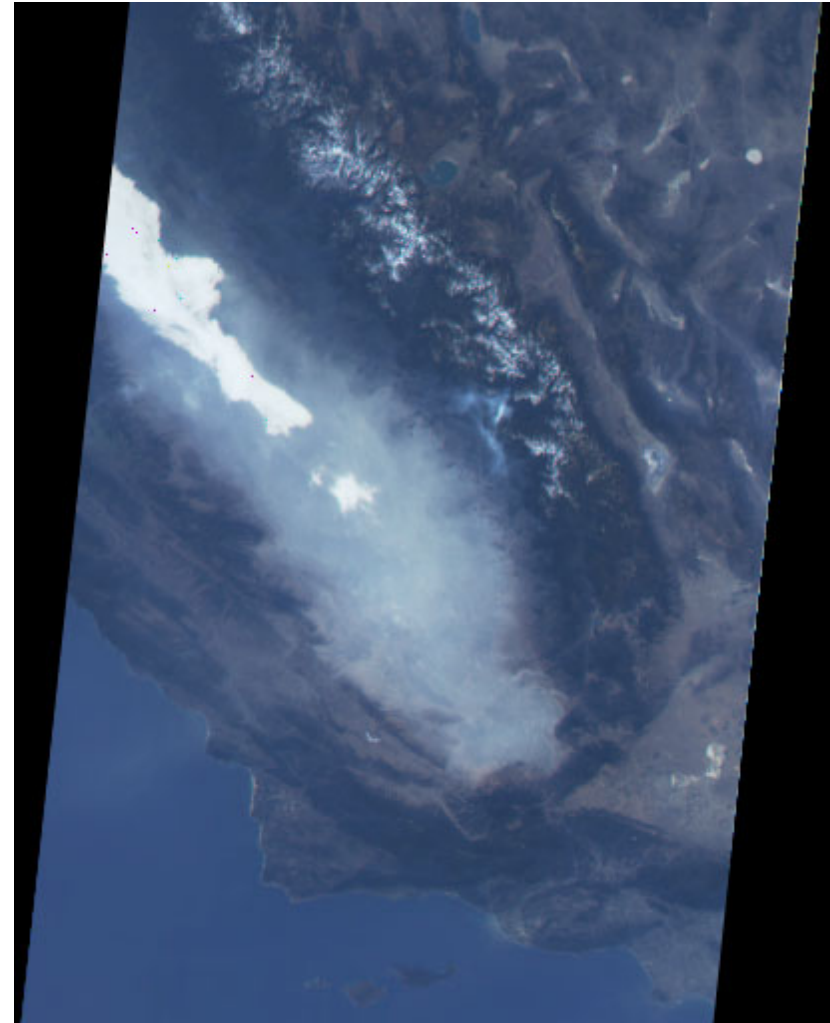
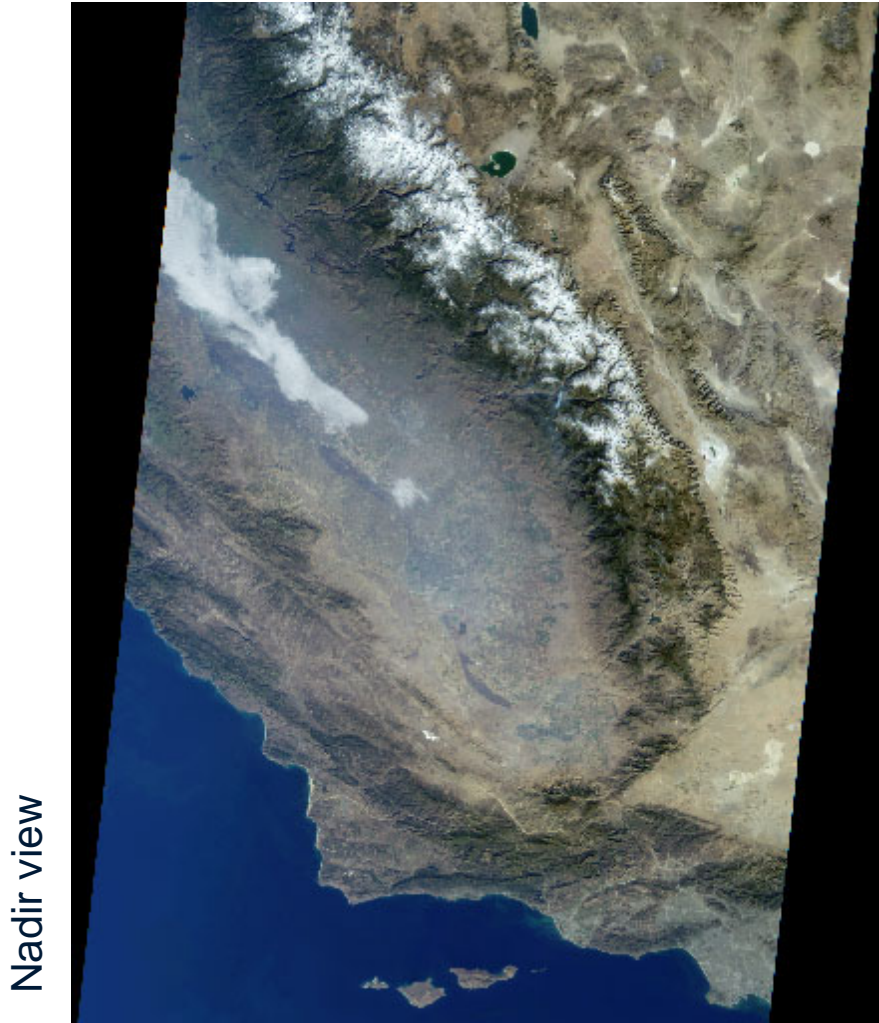
λ : RGB composite

Resolution: 300 m

Ref. figure: http://earth.esa.int/showcase/env/UK/TheChannel_MER_FR_Orbit07162_20030714.htm

Directional variability

MISR: 3 January 2001; λ : RGB composite; Resolution: 275 m, Location: San Joaquin Valley, CA



360 km

Ref. figure: http://www.spaceimaging.com/gallery/top10_2003/top10_7.htm

Satellite orbits

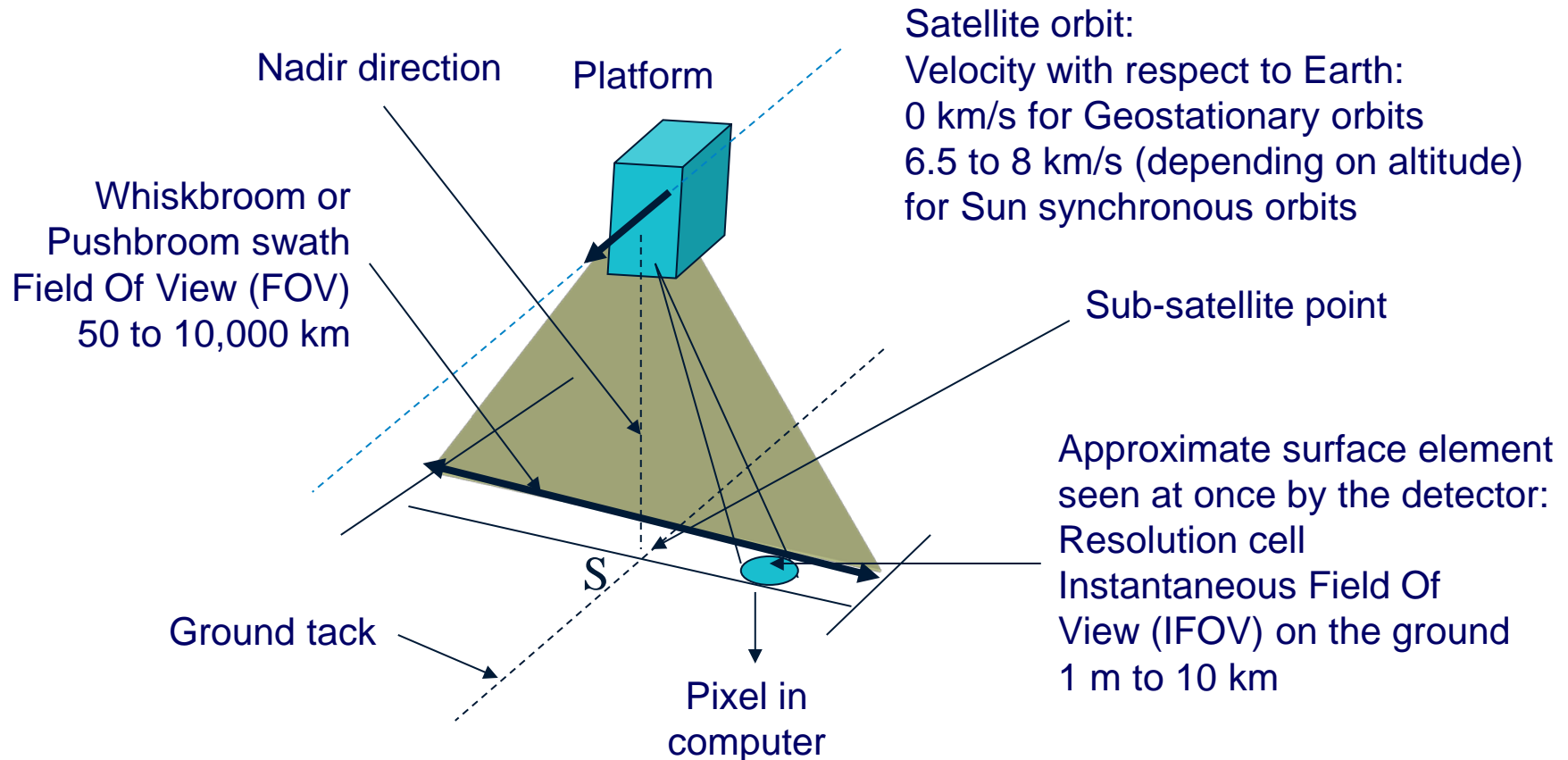
- Orbital plane is fixed with respect to stars; Earth rotates inside the orbit.
- Characteristics of circular orbits:

$$V = \sqrt{\frac{GM}{a_0 + h}} \qquad T = \frac{2\pi(a_0 + h)}{V}$$

with $G = 6.67 \cdot 10^{-11} \text{ m}^3 \text{ kg}^{-1} \text{ s}^{-1}$, $M = 5.97219 \cdot 10^{24} \text{ kg}$, $a_0 = 6,371,000 \text{ m}$


- Types and altitudes h of orbits:
 - Low Earth Orbit (LEO, e.g., Shuttle, Space Station): $h \sim 300$ to $1,000 \text{ km}$
 - Polar orbit (Sun synchronous): $h \sim 700 \text{ km}$, 98° inclination, $V \sim 7 \text{ km/s}$
 - GPS satellites: $h \sim 20,200 \text{ km}$, 55° inclination
 - Geostationary orbit: $h \sim 36,000 \text{ km}$ above Equator, 0° inclination, $V \sim 3 \text{ km/s}$

Optical instrument terminology and operation



Instrument spatial resolution is the distance between the centers of successive measurements (ground sampling distance), not the size of the area observed.

Examples of remote sensing applications

- Improving weather forecasts
 - Monitoring agriculture, rangelands and forests
 - Early warning for drought
 - Determining land cover classes in support of planning
 - Documenting urbanization and the growth of informal settlements
 - Detecting algal blooms or invasive species
 - Measuring air quality (pollutants, aerosols)
 - Assessing damages after a disaster
 - Managing fisheries, detecting oil spills
- 

Data interpretation and model inversion (1)

- Instruments in space only measure radiation properties
- Mathematical models are setup to predict the measurements that will be acquired by the instrument as a function of the state of the target
- Addressing this *direct problem* is essential to make sure signals will carry useful information and to optimally design observing instruments
- In general, the state of the target is unknown but measurements are available: the model must be inverted against the data
- This *inverse problem* is complex because there are often many combinations of state variables that could explain the measurements

Data interpretation and model inversion (2)

- Example: a thermal image, where each pixel corresponds to a measurement of the emission intensity in the infrared spectral domain:

- The radiation flux I (in W m^{-2}) is related to the temperature T (in K) of the target (the only state variable in this case) by the formula:

$$I = \sigma T^4$$

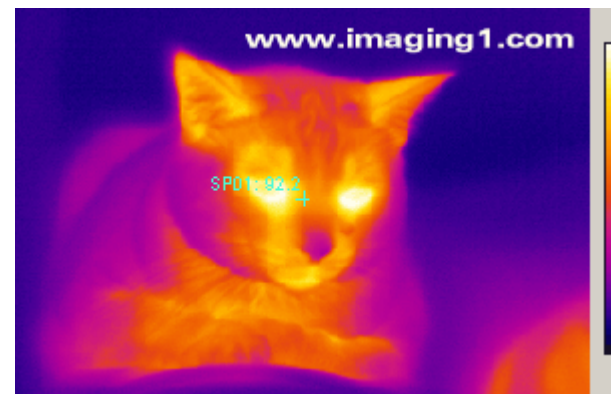
- If the model (f) is correct, the temperature of the target is given by:

$$T = [I/\sigma]^{1/4}$$

- However, if the target is not a perfect blackbody, it will emit with a spatially- and spectrally-variable emissivity ε and the model (f) becomes:

$$I = \varepsilon \sigma T^4$$

- Because the system now has two state variables (ε and T), there is an infinite number of couples of values that could satisfactorily 'explain' the measured intensity I : choose the *best* rather than the *true* solution



Remote sensing: Teaching opportunities

- Calculate the speed of Apollo spacecraft around the Moon ($a_m = 1,737$ km, $h = 110$ km, $M = 7.3477 \cdot 10^{22}$ kg)
- Take or get photographs in different weather conditions (e.g., sunny, cloudy, foggy, rainy) and discuss the processes that affect their quality
- For a given photograph, list objects, events or properties that
 - can unambiguously and directly be observed
 - could be deduced with a good probability
 - cannot logically be derived from it
- Hearing, smelling and tasting are other forms of remote sensing: discuss their advantages and drawbacks
- Discuss the feasibility of retrieving the ingredients and the recipe of a meal by only tasting or smelling the dish
- Mathematical analogue: the solution of an equation $y=f(x)$ is given by the intersection of the graph of the function with the x axis $y=0$: discuss the feasibility of determining the function by only knowing the solutions



Any questions?